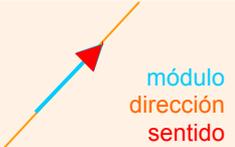
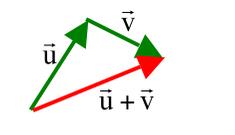
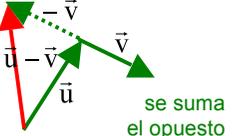
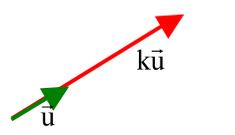
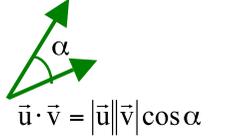
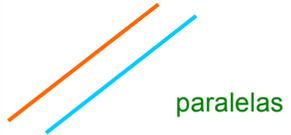
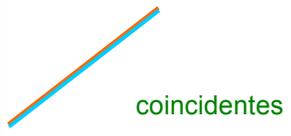
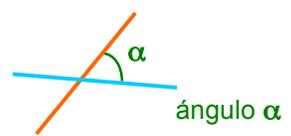


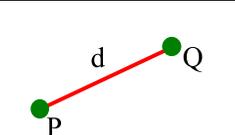
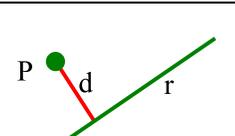
VECTORES

Vector		$\left\{ \begin{aligned} r &= \sqrt{a^2 + b^2} \\ \operatorname{tg} \alpha &= \frac{b}{a} \end{aligned} \right. \quad \left\{ \begin{aligned} a &= r \cos \alpha \\ b &= r \operatorname{sen} \alpha \end{aligned} \right.$
Suma		$\left. \begin{aligned} \vec{u} (a, b) \\ \vec{v} (a', b') \end{aligned} \right\} \Rightarrow \vec{u} + \vec{v} = (a + a', b + b')$
Diferencia		$\left. \begin{aligned} \vec{u} (a, b) \\ \vec{v} (a', b') \end{aligned} \right\} \Rightarrow \vec{u} - \vec{v} = (a - a', b - b')$
Producto por un número		$\left. \begin{aligned} \vec{u} (a, b) \\ k \in \mathfrak{R} \end{aligned} \right\} \Rightarrow k\vec{u} = (ka, kb)$
Producto escalar		$\left. \begin{aligned} \vec{u} (a, b) \\ \vec{v} (a', b') \end{aligned} \right\} \Rightarrow \vec{u} \cdot \vec{v} = aa' + bb' \in \mathfrak{R}$ $\vec{u} \cdot \vec{v} = \vec{u} \vec{v} \cos \alpha$

ÁNGULOS

Rectas	Pendientes: m m'	Vectores: $\vec{u} (a, b)$ $\vec{v} (a', b')$	Ecuaciones: $\begin{cases} Ax + By + C = 0 \\ A'x + B'y + C' = 0 \end{cases}$
 paralelas	m = m' pendientes iguales	$\vec{v} = k \cdot \vec{u}$ $(a', b') = k(a, b)$ vectores proporcionales	$\frac{A}{A'} = \frac{B}{B'}$ coeficientes proporcionales
 coincidentes	m = m' pendientes iguales y un punto común	$(a', b') = k(a, b)$ vectores proporcionales y un punto común	$\frac{A}{A'} = \frac{B}{B'} = \frac{C}{C'}$ coeficientes proporcionales
 perpendiculares	$m = -\frac{1}{m'}$	$\vec{u} \cdot \vec{v} = 0$ $a \cdot a' + b \cdot b' = 0$ vectores perpendiculares	$A \cdot A' + B \cdot B' = 0$
 ángulo α	$\operatorname{tg} \alpha = \frac{m - m'}{1 + m \cdot m'}$	$\cos \alpha = \frac{\vec{u} \cdot \vec{v}}{ \vec{u} \cdot \vec{v} }$	$\cos \alpha = \frac{A \cdot A' + B \cdot B'}{\sqrt{A^2 + B^2} \sqrt{A'^2 + B'^2}}$
 recta horizontal	m = 0 $\alpha = 0^\circ$	(a, 0)	y = n
 recta vertical	m = ∞ $\alpha = 90^\circ$	(0, b)	x = k
 diagonal	m = 1 $\alpha = 45^\circ$	(1, 1)	y = x + n

DISTANCIAS

punto-punto		$\left. \begin{aligned} P (x_1, y_1) \\ Q (x_2, y_2) \end{aligned} \right\} \Rightarrow d(P, Q) = \vec{PQ} = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$
Punto-recta		$\left. \begin{aligned} P (x_0, y_0) \\ r = Ax + By + C = 0 \end{aligned} \right\} \Rightarrow d(P, r) = \frac{ Ax_0 + By_0 + C }{\sqrt{A^2 + B^2}}$