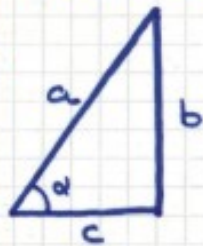


TRIANGULO RECTANGULO



$$\text{sen } \alpha = \frac{b}{a}$$

$$\text{cos } \alpha = \frac{c}{a}$$

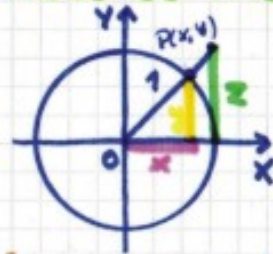
$$\text{tg } \alpha = \frac{b}{c}$$

Teor. Pitágoras:

$$a^2 = b^2 + c^2$$

AREA:  $S = \frac{b \cdot c}{2}$

RAZONES TRIGONOMETRICAS



$$\text{Sen } \alpha = y$$

$$\text{Cos } \alpha = x$$

$$\text{tg } \alpha = \frac{y}{x}$$

SIGNOS



COSENO de  $\alpha =$   
 $= \text{Sen} (90 - \alpha)$   
 COMPLEMENTARIO

MEDIDA DE ANGULOS

SES  
GRADOS  
SEXAGESIMALES

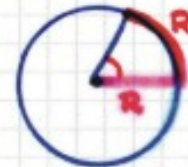


$$1 \text{ rad} = 57^\circ 17' 44''$$

$$2\pi \text{ rad} = 360^\circ$$

$$\pi \text{ rad} = 180^\circ$$

RAD  
RADIANES



GRA  
GRADOS  
CENTESIMALES



(NO SE USA)

FORMULAS

$$\text{tg } \alpha = \frac{\text{Sen } \alpha}{\text{Cos } \alpha}$$

$$\text{Sen}^2 \alpha + \text{Cos}^2 \alpha = 1$$

$$1 + \text{tg}^2 \alpha = \frac{1}{\text{Cos}^2 \alpha}$$

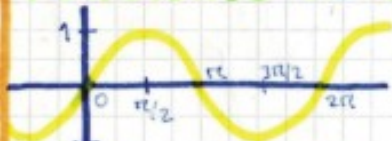
RAZONES INVERsas

$$\text{ctg } \alpha = \frac{1}{\text{tg } \alpha}$$

$$\text{sec } \alpha = \frac{1}{\text{Cos } \alpha}$$

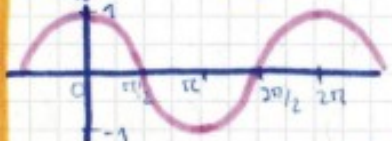
$$\text{cosec } \alpha = \frac{1}{\text{Sen } \alpha}$$

FUNCIONES TRIGONOMETRICAS O CIRCULARES



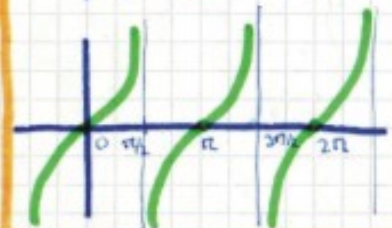
$$y = \text{sen } x$$

Continuas  
 acotadas entre -1, 1  
 Periodo  $2\pi$



$$y = \text{cos } x$$

Desplazadas  $90^\circ$



$$y = \text{tg } x$$

No continua en  $\frac{\pi}{2}, \frac{3\pi}{2}$   
 No acotada  
 Periodo  $\pi$

VALORES NOTABLES

| RAD | 0 | $\pi/6$      | $\pi/4$      | $\pi/3$      | $\pi/2$    | $\pi$       | $3\pi/2$    | $2\pi$      |
|-----|---|--------------|--------------|--------------|------------|-------------|-------------|-------------|
| DEG | 0 | $30^\circ$   | $45^\circ$   | $60^\circ$   | $90^\circ$ | $180^\circ$ | $270^\circ$ | $360^\circ$ |
| Sen | 0 | $1/2$        | $\sqrt{2}/2$ | $\sqrt{3}/2$ | 1          | 0           | -1          | 0           |
| cos | 1 | $\sqrt{3}/2$ | $\sqrt{2}/2$ | $1/2$        | 0          | -1          | 0           | 1           |
| tg  | 0 | $\sqrt{3}/3$ | 1            | $\sqrt{3}$   | $\infty$   | 0           | $-\infty$   | 0           |